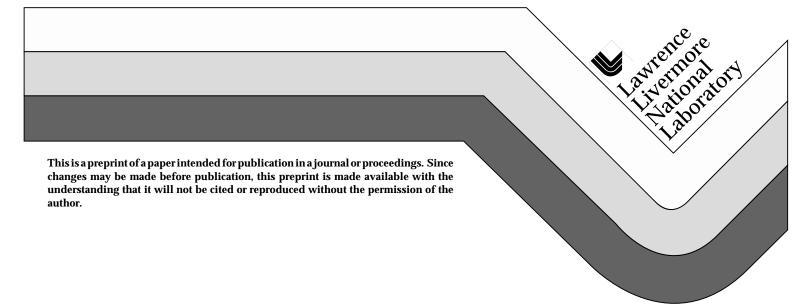
National Ignition Facility Frequency Converter Development

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Abstract

A preliminary error budget for the third harmonic converter for the National Ignition Facility (NIF) laser driver has been developed using a root-sum-square-accumulation of error sources. Such a budget sets an upper bound on the allowable magnitude of the various effects that reduce conversion efficiency. Development efforts on crystal mounting technology and crystal quality studies are discussed.

Keywords: harmonic generation, frequency conversion, nonlinear optics, KDP

1. Introduction

Third harmonic generation experiments on the Beamlet laser¹ have demonstrated *whole-beam energy* third harmonic energy conversion efficiencies of up to 80.6%, as indicated by the plot in Figure 1.² Third harmonic conversion efficiencies of up to 85% at the peak irradiance of the input laser pulse are necessary to meet current NIF power and energy requirements. At an input drive irradiance of 3.3 GW/cm² incident upon an 11 mm type I KDP second harmonic generation crystal followed by a type II KD*P mixing crystal, the ideal plane wave third harmonic conversion efficiency, including absorption in the crystals, is 90.8%. This sets a total peak conversion efficiency error budget of 5.8%.

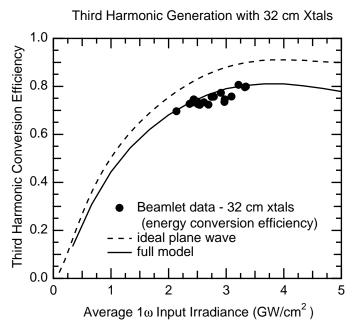


Figure 1. Third harmonic conversion efficiency versus input 1ω drive irradiance. These data were recorded with a 29.6 cm aperture beam incident upon 32 cm square KDP. crystals.

2. Preliminary Error Budget

The frequency converter error budget must account for many effects. The effects that act to reduce harmonic generation efficiency can be grouped into three sets of terms: loss terms, dynamic range terms, and angular sensitivity terms. An upper bound on the allowable magnitude of the various error budget terms can be determined from a root-sum-square accumulation of errors. The allocation of the 5.8% error budget in a root-sum-square accumulation of the three groups of error terms listed above is given in Table 1.

Table 1. Frequency converter error budget

Source of efficiency reduction	Magnitude
Loss terms	2.8%
Dynamic range terms	1%
Angular sensitivity terms	5%
Total root-sum-square accumulation	5.8%

A number of effects, including the presence of phase-modulated bandwidth and depolarization as well as surface reflectivities, can be treated as losses. These terms, which lead to a net reduction of 2.8% in conversion efficiency, are summarized in Table 2. The dynamic range terms are listed in Table 3. Since we are concerned only with peak irradiance, the spatial and temporal edges of the pulse are not included in the error budget.

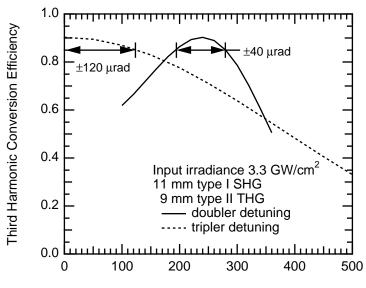
Table 2. Loss terms

Effect	Budget	Efficiency reduction	Comments
bandwidth	30 GHz	1.4%	required for SBS suppression
coating reflectivity	SHG xtal R = 0.1% (both faces)	0.2%	SHG xtal: 1ω / 2ω compromise silicone/sol-gel coatings
	THG xtal R = 0.9% (input) R = 0.1% (output)	1.0%	THG xtal: $1\omega/2\omega$ compromise sol-gel coating on input; 3ω optimized sol-gel coating on output
depolarization	$\leq \pm 2.5^{\circ}$ rotation	≤0.2%	type I/II insensitive to depolarization
absorption in bulk crystal	5.8%/cm @ 1ω (o-wave in SHG)		already included in 90.8% efficiency value from plane wave calculation

Table 3. Dynamic range terms

Effect	Budget	Efficiency	Comments	
		reduction		
amplitude modulation	1.2:1 uniform distribution	1%	Irradiance distribution will be gaussian-like	
spatial and temporal	N/A	0	Spatial and temporal edges of the pulse affect whole	
edges			beam energy conversion efficiency, not peak irradiance	
			efficiency	

Because mix ratio control in the type I / type II design is accomplished by angular detuning of the doubler, this design is very sensitive to angular errors.³ From the plot given in Figure 2, we find that the angular sensitivity of third harmonic generation is dominated by detuning in the doubler crystal. An angular error of $\pm 40~\mu$ rad internal to the doubling crystal results in a third harmonic conversion efficiency reduction of 5%. Consequently, the preliminary angular error budget will be set at $\pm 40~\mu$ rad, and apportioned entirely to the doubler. The terms that contribute to the angular sensitivity are given in Table 4. Of particular concern are long-scale-length surface figure and phasematching angle uniformity of the crystals.



Internal Angle from Phasematched Direction (µrad)

Figure 2. Third harmonic conversion versus internal detuning angle from phasematched direction for an 11 mm type I doubler and a 9 mm type II tripler at an input drive irradiance of 3.3 GW/cm². A detuning of $\pm 40~\mu$ rad internal to the doubler reduces third harmonic generation efficiency from 90.8% to 85%. The tripler is three times less sensitive to internal detuning.

Table 4. Angular sensitivity terms

Effect	Internal angle allocation (µrad)	Comments
alignment	±26	root-sum-square accumulation of COMS, reference surface, and beam alignments
temperature	±5	doubler thermally tunes at 50 μ rad/°C; tripler at 200 μ rad/°C $\rightarrow \Delta T \leq \pm 0.1$ °C
beam divergence	±13	divergence with phase plate ≤35 µrad (external); 20 µrad (external) allocated to beam
phasematching uniformity	±15	CCI and COMS data indicate that 10 µrad is achievable with high quality crystals
surface figure (long scale)	±30	45 μrad (external) is allocated among mounting effects, surface figure of crystal, and gravitational sag
Total (root-sum-square)	±40	allocation based on sensitivity of tripling efficiency to doubler detuning

3. Crystal Deformation and Mounting

Deformation of the conversion crystal surfaces leads to wavefront deformation as the laser beam enters the crystal. These wavefront aberrations cause local variations in phasematching conditions that reduce conversion efficiency. Such deformations of the crystal surfaces can be caused by crystal cutting operations, the crystal mount, and gravitational sag.

When supported only at its corners, as is currently the case for Nova and Beamlet conversion crystals, the deflection of a 41 cm square crystal under its own weight can result in a conversion efficiency reduction of 2.5%. Shown in Figures 3 and 4, respectively, are contour plots of displacement calculated for a 41 cm square by 1.1 cm thick type I KDP doubler and a 41 cm

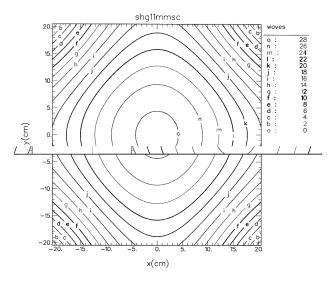


Figure 3. Contour plot of the calculated gravitational deflection of a 41 cm square by 1.1 cm type I KDP doubler simply supported at four corners. Gravity acts parallel to the plate normal direction.

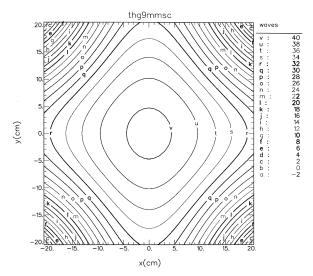


Figure 4. Contour plot of the calculated gravitational deflection of a 41 cm square by 0.9 cm type II KDP tripler simply supported at four corners. Gravity acts parallel to the plate normal direction.

square by 0.9 cm thick KDP tripler. The displacements are given in waves at 1 μ m, and are calculated for boundary conditions of simple support in the four corners with gravity acting parallel to the plate normal direction. Under these conditions, the maximum deflection of the doubler is 28 μ m and the maximum deflection of the tripler is 40 μ m.

The gravitational deflection of the crystals can be reduced significantly by supporting them completely around their perimeter. With simple support on all four edges, the doubler sag is calculated to be 4 μm and tripler sag is reduced to less than 7 μm , resulting in a conversion efficiency reduction of only 0.1%. If clamped boundary conditions are applied along all four edges, doubler sag is calculated to be less than 1.5 μm and tripler sag is found to be less than 2 μm . In this case there is no discernible loss in conversion efficiency. The crystal deflections and the corresponding conversion efficiency reductions for these various sets of boundary conditions are summarized in Table 5. We anticipate that the boundary conditions for real mounts will lie somewhere between the idealized cases of simple support and clamped support.

The design of the Final Optics Cell (FOC) for the National Ignition Facility laser provides full edge support for both the

Table 5. Calculated crystal deflections for various boundary conditions

Boundary condition	Doubler sag- 11mm type I (waves @ 1μm)†	Tripler sag- 9mm type II (waves @ 1µm)†	Efficiency loss
simple support all four corners	28	40	2.5%
simple support all four edges	4	<7	0.1%
clamped support all four edges	<1.5	<2	0%

[†] gravity acts parallel to the plate normal direction

doubler and tripler crystals, as illustrated in Figure 5. This monolithic cell also contains the final focus lens, and an optional diffractive optic plate. A two-thirds scale, multi-piece prototype FOC has been fabricated by single-point diamond turning. The profile of the crystal mounting surface has been measured by phase-shift interferometry, as shown in Figure 6. This surface has been found to be flat to approximately 1 µm, with a maximum slope of about 8 µrad.

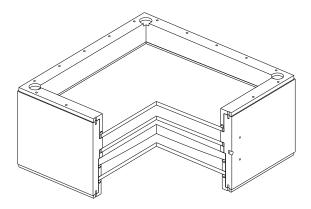


Figure 5. Illustration of the National Ignition Facility Final Optics Cell (FOC). In this figure, the beam enters from the top, passing through the doubling crystal, the tripling crystal, the final focus lens, and an optional diffractive optic plate. The crystals will be held against the precision mounting surfaces by compliant pads.

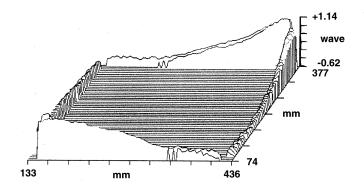


Figure 6. Measured surface profile of the 2/3-scale prototype Final Optics Cell. This measurement was performed with a phase-shift interferometer operating at 632.8 nm. The surface is flat to approximately 1 μ m.

4. Crystal Quality

Highly efficient frequency conversion requires very good crystal quality. Third harmonic generation experiments on Beamlet using the 37 cm frequency conversion crystals produced lower whole beam energy conversion efficiency values than were obtained in experiments using the 32 cm crystals.² Although whole beam energy conversion efficiency was only 72 %, an examination of near field images taken during recent Beamlet experiments indicates that some regions of the aperture were converting in excess of 80% while other regions showed much lower efficiency.⁴ The phase maps of the 37 cm doubling and tripling crystals, which are presented in Figures 7 and 8, show significant structure. Furthermore, phasematching angle measurements made during crystal cutting and finishing indicate an internal phasematching angle variation of at least 63 µrad in the 37 cm doubler, whereas the 32 cm doubler showed a variation of only 5 µrad. On the other hand, the 32 cm and 37 cm

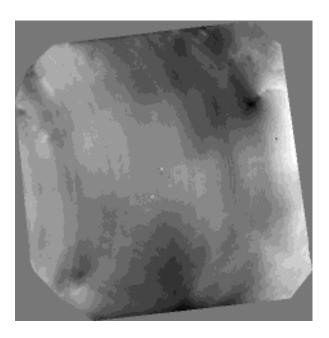


Figure 7. Phase map of the 37 cm doubler, obtained by phase-shift interferometry.

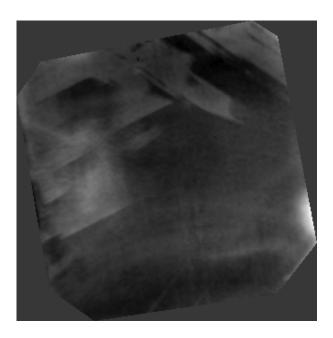


Figure 8. Phase map of the 37 cm tripler, obtained by phase-shift interferometry.

tripler crystals displayed similar levels of phasematching angle variation: 19 µrad and 16 µrad, respectively. Consequently we believe that the differences in conversion efficiencies that we have measured with the 32 cm and 37 cm crystals is due to the poorer quality of the 37 cm crystals, and we are pursuing further off-line studies to better characterize these crystals.

5. Summary

We have developed a preliminary error budget for the third harmonic generator for the NIF laser driver. This budget is based on a root-sum-square accumulation of error from all of the various effects that can reduce conversion efficiency. Because some, but not all, of these effects can be treated as statistically independent, this error budget sets an upper bound on the allowable magnitude of these error sources. Lower bounds can be established by direct addition of the effects of all of these error terms. It is obvious that the allowable magnitudes of these error terms will have to be significantly reduced to meet this tighter budget. Consequently, a much more careful apportionment of the error budget will be required. The most realistic budget will lie between these two sets of bounds, but extensive modeling will be needed to establish the interactions of the various error terms. Such a budget will be developed early in the Title II engineering phase of NIF.

We have modeled the gravitational sag of the frequency conversion crystals under worst-case conditions, i.e. gravity acting normal to the conversion crystal plates, and found that full edge support of the crystals will nearly eliminate efficiency reductions due to that effect. Measurements of our first prototype Final Optics Cell show that it achieved a very flat mounting surface.

An analysis of Beamlet results and limited crystal characterization data indicate that crystal quality is the primary cause of the reduced conversion efficiency that has been observed with the 37 cm conversion crystals during Beamlet experiments.

6. Acknowledgments

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